



ETM

ENGINEERING & TECHNOLOGY MANAGEMENT

Aluminum Extrusion: Make Scrap Pay

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Make Scrap Pay

- **Analyze and Maximize profits from aluminum scrap**
- **Built an OR model to determine most profitable method to manage scrap**
- **Determine the best option to deal with excess material**

Aluminum Extrusion

- A process used to produce elongated components of variable lengths and uniform cross-sections



Aluminum Extrusion (Cont.)

- **Extrusion can be performed through two processes:**
 - **Indirect- billet remains stationary and die is forced along its length**
 - **Direct-hold the die stationary and forces the billet through die**

Target Plant

- **Metropolitan Metal Co. Ltd**
- **Based in Thailand**
- **Founded in 1979**
- **Uses a Direct extrusion process**
- **Offer three types of aluminum alloy: 6060, 6061 and 6063**

Target Plant (Cont.)

- **Has three direct extrusion machines on site**
- **Runs three shifts 20hrs/day 6days/week**
- **Uses the same sized billets for machines 1 & 2**
- **Uses a larger and more expensive billet for machine 3**

Problem Definition

○ **Two challenges face extrusion today extrusion plants:**

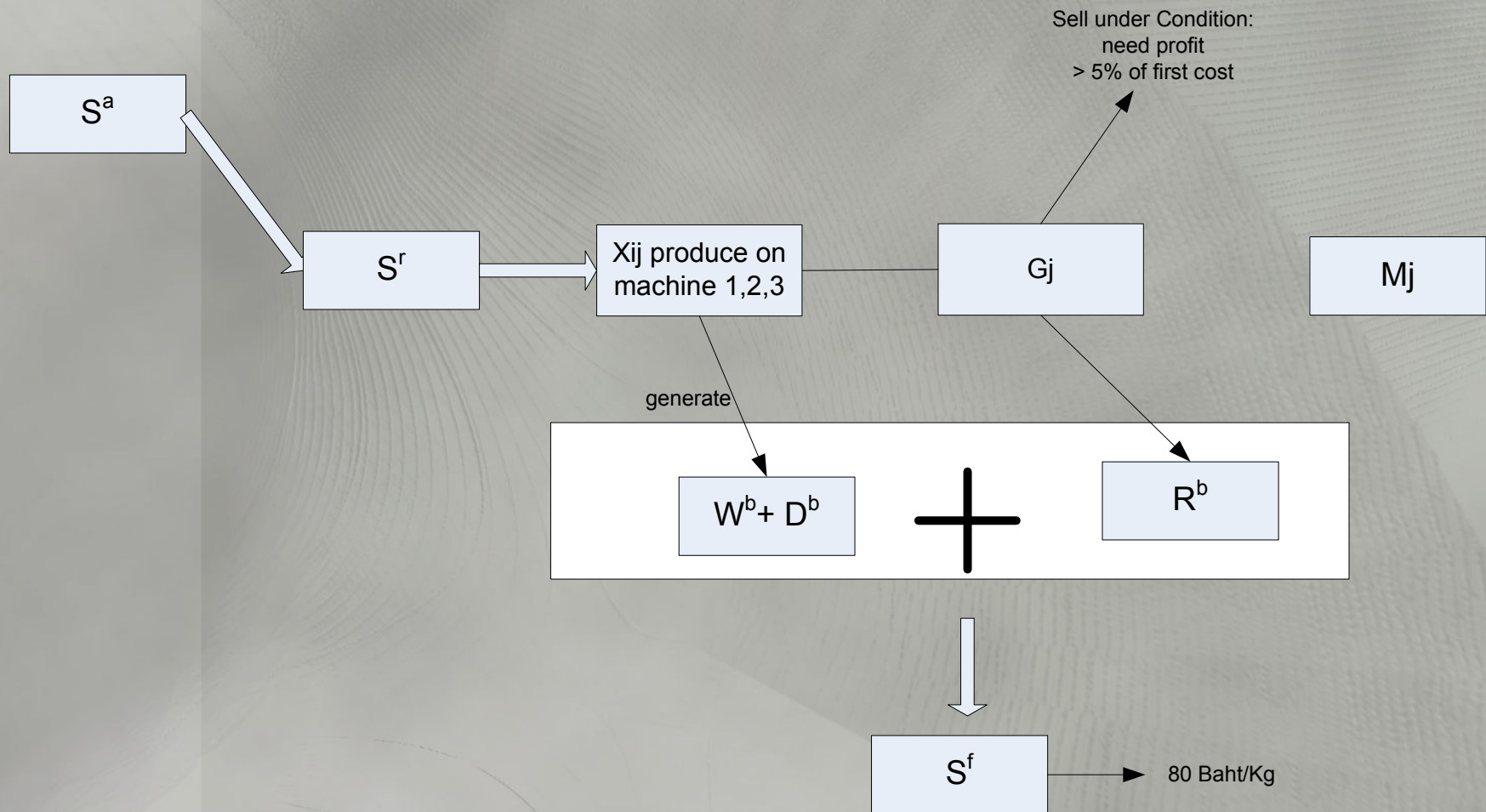
Downtime

Scrap Management

Model Definition

- **Using Multiple Objective analysis to maximize profit, which is generated from scrap**
- **Assumptions**

Model Flow Diagram



Model Definition (Cont.)

G_j = Good Product in month j

S_j^f = Final Scrap in month j

S_j^r = Scrap Required in month j

S_j^a = Scrap Available in month j

M_j = Demand in month j

R_j^b = Returns from recycled product

D_j^b = Defects from reprocess

W_j^b = Waste from reprocess

P = Profit

P_j^u = Price per ton (1 ton = 1000 kg) = first cost * 1.05 (need > 0.5% of first cost)

P^o = Production Output

P^r = Hours operating

C_{ij} = Capacity machine i to month j = $0.6(P^o / P^r) * 24 * 30$

A_{ij} = Cost of reprocessing machine i to month j

X_{ij} = Amount Produce from machine i to month j

$Y_{ij} = \begin{cases} 1 & , \text{if machine i is selected in month j} \\ 0 & , \text{otherwise} \end{cases}$

Model Definition (Cont.)

Multiple Objective Function

$$\text{MAX: Profit} = \sum_{j=1}^{12} G_j * P_j^u + \sum_{j=1}^{12} S_j^f * 2191.78$$

$$\text{MIN: Cost} = \sum_{i=1}^3 \sum_{j=1}^{12} X_{ij} * A_{ij}$$

$$\text{MIN: Final scrap} = \sum_{j=1}^{12} S_j^f$$

Model Definition (Cont.)

Constraints:

$$S_j^f = \sum_{i=1}^3 W^b + \sum_{i=1}^3 W^b - R^b \left. \vphantom{\sum_{i=1}^3 W^b} \right\} \text{Final Scrap constraint}$$

$$G_j = X_{ij} - \sum_{i=1}^3 W^b - \sum_{i=1}^3 W^b = S_j^r - \sum_{i=1}^3 W^b - \sum_{i=1}^3 W^b \left. \vphantom{\sum_{i=1}^3 W^b} \right\} \text{Good Product constraint}$$

$$\sum_{i=1}^3 X_{ij} = S_j^r = S_j^a, \forall j \left. \vphantom{\sum_{i=1}^3 X_{ij}} \right\} \text{Amount produce constraint}$$

$$\left. \begin{array}{l} X_{ij} \leq C_{ij} * Y_{ij} \\ X_{ij} \leq C_{ij} \end{array} \right\} \text{Capacity constraint}$$

$$X_{ij} \geq 0.3 * Y_{ij} \left. \vphantom{X_{ij}} \right\} \text{Minimum order constraint}$$

$$Y_{ij} = \text{binary} \left. \vphantom{Y_{ij}} \right\} \text{Binary}$$

Goal Programming (GP)

MIN: the maximum of

$$w_1 \left(\sum_{i=1}^3 \sum_{j=1}^{12} X_{ij} * A_{ij} - 1,922,730.48 \right) / 1,922,730.48$$

$$\text{and } w_2 \left(\sum_{j=1}^{12} S_j^f - 294.27 \right) / 294.27$$

MIN: Q

Goal Programming (GP) (Cont.)

Constraints:

$$w_1 \left(\sum_{i=1}^3 \sum_{j=1}^{12} X_{ij} * A_{ij} - 1,922,730.48 \right) / 1,922,730.48 \leq Q \left. \vphantom{\sum} \right\} \text{goal 1 MINIMAX constraint}$$

$$w_2 \left(\sum_{j=1}^{12} S_j^f - 294.27 \right) / 294.27 \leq Q \left. \vphantom{\sum} \right\} \text{goal 2 MINIMAX constraint}$$

Lessons Learned

- **Determine the problem to solve early.**
- **Let the model drive the data rather than the data drive the model.**
- **More granular data was required.**

Future Research

- **Energy and environmental impacts of recycling should be considered.**
- **Research how different companies value scrap for analysis.**
- **Further research required on the chemical breakdown of the material.**

Conclusion

- Scrap can be reprocessed to fill a large percentage of orders at a fraction of the cost
- Scrap is used first to fill orders and is sold directly as a second option.
- Results support assumed solution rather than an unanticipated approach
- Model could be applied in other factories or in different fields with related variables

Make Scrap Pay

Questions/Comments

Back up

